Practical Programming Methodology (CMPUT-201)

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Lecture 4

- Constants
- Operators

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Floating-Point Constants

- Floating-point constants contain a decimal point (123.4) or an exponent (2e-2 = $2 \cdot 10^{-2} = 0.02$) or both
- Their type is double (8 bytes), unless suffixed
- Suffixes f and F indicate float (4 bytes)
- I or L indicate long double (12 bytes)

```
float two = 2.0; // converted to float
float e = 2.71828182845905f;
long double half = 0.5L;
```

Integer Constants

- An integer constant like 12345 is an int
 int foo = 12345;
- Unsigned constants end with u or U unsigned short bar = 60000u;
- Leading 0 (zero) indicates an octal (base 8) constant (e.g. 037 = 3 · 8 + 7 = 31) unsigned short file_permissions = 0666;
- Leading 0x means hexadecimal (base 16).
 E.g. 0x1f = 31, 0x100 = 256, 0xa = 10
 unsigned int thirty_two_ones = 0xffffffff;

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Character Constants

```
char charx = 'x';  // = 120
char newline = '\n';  // = 10
char digit1 = '0' + 1; // = 49 ('1')
char hex = '\x7f'; // = 127
```

- Characters within single quotes e.g. 'A' '%'
- Characters are stored as integers using their ASCII code. E.g. '0' is represented as 48 (man ascii)
- Escape sequences for non-printable characters:
 '\n' newline, '\'' single quote,
 '\' backslash, '\a' bell,
 '\r' carriage return, '\xhh' hexadecimal code

Enumeration Type

```
enum Month { JAN=1, FEB, MAR, APR,...};
// JAN=1 FEB=2 MAR=3 APR=4 ...
Month x, y;
x = JAN; y = APR;
```

- List of names of integer constants, as in enum Answer { NO, YES };
- First constant has value 0, next 1, etc.
- Values can be assigned, unassigned successor values are incremented
- Names in different enumerations must be distinct.
 Values need not.

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Mixing integers and floating-point values

- Two int operands : integer operation
 - Careful! (4/5) = 0!
 - ► Division result is rounded towards 0
- One integer and one floating-point operand
 - ► int value is silently converted into floating-point
 - ► then the floating-point operator is executed
 - (4.0/5) = (4/0.5) = 0.8
- Two floats: floating-point operation
 - (4.0/5.0) = 0.8

If x and y are integers and you want to compute the "exact" floating-point ratio you need to cast like so:

Arithmetic

- + * / %: result type depends on operands
 - x % y computes the remainder when x is divided by y (can not be applied to floating-point values)
 - Result of % for negative operands is machine dependent, as is the action on overflow
 - Division int / int rounds towards 0

```
int x1 = x0 + delta;
float c = a * b;

int y1 = 8 / 5;  // = 1
int y2 = -8 / 5;  // = -1
int y3 = 8 % 5;  // = 3
```

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Relational Operators

Compare two values with > >= < <= == != result type bool

Watch out: == is equality test, = is assignment!

bool vs. int

- In integer expressions, bool values are interpreted as 0 (false) or 1 (true)
- int values != 0 are interpreted as true, 0 as false

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Useful g++ Flags

```
g++ -Wall -Wuninitialized -W -O test.c
```

reports potentially dangerous but valid C++ code such as

```
if (c = 0) .. // assignment, not equality test
```

or uninitialized variables (for which data-flow analysis is required which is done when optimizing code: -0)

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Increment & Decrement Operators

- ++ : adds 1 to its operand
- -- : subtracts 1
- can be either prefix (++n) or postfix (n++)
- ++n increments n, value of expression is that of n after increment
- n++ increments n, value of expression is original value of n

Logical Operators

```
if (a >= 'a' && a <= 'z')... // a is a lower-case letter
if (a < '0' || a > '9')... // a is *not* a digit
if (!valid) ... // true iff valid is false
```

- && || : Boolean shortcut operators
 - evaluated from left to right
 - evaluation stops when truth-value is known
 - && (shortcut and): evaluation of (exp1 && exp2) stops when exp1 evaluates to false
 - || (shortcut or): evaluation of (exp1 || exp2) stops when exp1 evaluates to true
- ! : Boolean negation !false = true, !true = false (can also be applied to ints: !5 = false, !0 = true)

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Examples

```
a++; ++a; // identical (value not assigned)
int x = 5;
int y = x++; // y=5, x=6
int z = ++x; // z=7, x=7

int n = 3;
x = n + n++; // undefined!
y = y && n++; // DANGER!
```

Watch out! If expression terms have side-effects like ++, evaluation order matters! To be safe, split expression!

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Bitwise Operators

Useful for manipulating individual bits or groups of bits in integers

Is fast (parallel computation) and can save space

- ~ : complement
- & : bitwise AND
- | : bitwise inclusive OR
- ^ : bitwise exclusive OR (XOR)
- << : left shift
- >> : right shift

Complement

Think of int x as a 32-bit sequence: $x_{31}..x_1x_0$ x_0 : least-significant bit, x_{31} : most-significant bit

$$z = x$$

- invert bits (0->1 1->0)
- $z_i = \neg x_i \ (i = 0..31)$

$$x = 0..01010110$$

 $x = 1..10101001$

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AND

$$z = x & y$$

- apply operator ∧ (Boolean AND) to pairs of bits
- $z_i = x_i \land y_i \ (i = 0..31)$
- $0 \land 0 = 0$, $0 \land 1 = 0$, $1 \land 0 = 0$, $1 \land 1 = 1$

$$x = 0..01111100$$

 $y = 1..10101001$

$$x&y = 0..00101000$$

OR

$$z = x \mid y$$

- apply operator ∨ (Boolean OR) to pairs of bits
- $z_i = x_i \lor y_i \ (i = 0..31)$
- \bullet 0 \vee 0 = 0, 0 \vee 1 = 0, 1 \vee 0 = 0, 1 \vee 1 = 1

$$x = 0..01111100$$

 $y = 1..10101001$

$$x | y = 1...11111101$$

XOR

$$z = x \hat{y}$$

- apply operator \oplus (Boolean XOR) to pairs of bits
- $z_i = x_i \oplus y_i \ (i = 0..31)$
- $0 \oplus 0 = 0$, $0 \oplus 1 = 1$, $1 \oplus 0 = 1$, $1 \oplus 1 = 0$

$$x = 0..01111100$$

 $y = 1..10101001$

$$x^y = 1..11010101$$

N.B.: Don't confuse x^y (XOR) with x^y (exponentiation)! There is no exponentiation operator in C++ (have to use pow(x,y) function call instead).

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Left Shift

$$z = x \ll k$$

- shift all bits in x k places to the left and set k least-significant bits to 0 (0 \leq k < 32)
- k most-significant bits are lost

•
$$z_{i+k} = x_i$$
 ($i = 0..31 - k$), $z_0..z_{k-1} = 0$

$$\bullet$$
 x << 1 \equiv x * 2

$$x = 0..010111111$$
 $x = 0..000010111111$
 $x = 0..000010111111$
 $x = 0..000010111111$
 $x = 0..010111111$

Right Shift

$z = x \gg k$

- shift all bits in x k places to the right $(0 \le k < 32)$
- k least-significant bits are lost
- x unsigned: clear k most-significant bits
- x signed: clone most-significant bit k times
- $z_{i-k} = x_i$ (i = k...31), $z_{31}...z_{32-k} = 0$ or x_{31}
- unsigned x >> 1 \equiv x / 2

unsigned x:

signed x:

$$x = \underline{1}1..1\underline{0}111$$

$$x = \underline{1}1..1\underline{0}111$$

$$x>>3 = 00011..10$$

$$x>>3 = 11111..10$$

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Example 1

Example 2

Example 3

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